



# Probing TeV scale physics with neV neutrons

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# Outline

- ❑ Why study the free neutron?
- ❑ Neutron  $\beta$ -decay in SM
- ❑ EFT – “communication protocol” between “***ENERGY***” and “***PRECISION***” frontiers
- ❑ Search for BSM with neutron  $\beta$ -decay
- ❑ Neutron Electric Dipole Moment
- ❑ Other exotics with neutrons
- ❑ Summary and outlook

# Why study the free neutron?

## □ Main goal of Particle Physics:

*Establish consistent picture of Nature's fundamental interactions*

### ▪ High Energy PP:

- Operates at TeV scale ( $10^{12}$  eV)  
 $\Rightarrow$  study of 2<sup>nd</sup> (s, c,  $\mu$ ,  $\nu_\mu$ ) and 3<sup>rd</sup> (b, t,  $\tau$ ,  $\nu_\tau$ ) particle families

**“ENERGY frontier”**

### ▪ Low Energy PP (e.g. with neutrons):

- Operates at neV scale ( $10^{-9}$  eV)  
 $\Rightarrow$  study of 1<sup>st</sup> (u, d, e,  $\nu_e$ ) particle family
- Reveals respectable sensitivity:

- Energy:  $\Delta E/E \sim 10^{-11} \div 10^{-13}$  ( $\Delta E \sim 10^{-23}$  eV)
- Momentum:  $\Delta p/p \sim 10^{-10} \div 10^{-11}$
- Spin polarization:  $\Delta s/s \sim 10^{-7}$

**“PRECISION  
(intensity)  
frontier”**

- *Fundamental neutron physics provides more than **20** observables reach in information which is difficult to achieve (or not achievable at all) in other fields of Particle Physics*

# Neutrons: cold (CN) and ultra-cold (UCN)

❑ **Cold neutrons:**  $E_{\text{kin}}^{\text{CN}} \sim 5 \text{ meV}$ ,  $v^{\text{CN}} \sim 1 \text{ km/s}$

❑ **Ultra-cold neutrons** – can be stored in material or magnetic traps

$$E_{\text{kin}} < V_{\text{F}} - \boldsymbol{\mu}_{\text{n}} \cdot \mathbf{B} + mgh$$

$$V_{\text{F}} = \frac{2\pi\hbar}{m} bN$$

$V_{\text{F}}$  – Fermi pseudo-potential,  
 $b$  – scattering length,  
 $N$  – number density

- $V_{\text{F}}(\text{Be}) \leftrightarrow E_{\text{kin}} = 252 \text{ neV}$ ,
- $\mu_{\text{n}} B(1 \text{ T}) \leftrightarrow E_{\text{kin}} = 60 \text{ neV}$ ,
- $mgh(1 \text{ m}) \leftrightarrow E_{\text{kin}} = 100 \text{ neV}$
- $v^{\text{UCN}} < 8 \text{ m/s}$ ,
- $T^{\text{UCN}} < 4 \text{ mK}$ ,
- $\lambda^{\text{UCN}} > 50 \text{ nm}$

❑ **UCN production via moderation of CN:**

- Earth gravitational field and/or scattering from turbine blades (ILL)
- Super-thermal process e.g. in solid  $\text{D}_2$  (PSI, LANL, GUM) or super-fluid He (ILL; in development)

# Neutron $\beta$ decay

# Neutron $\beta$ decay in Standard Model

- Only 2 SM parameters establish neutron  $\beta$  decay:

$$H = \frac{G_F}{\sqrt{2}} V_{ud} \bar{p} \left\{ \gamma_\mu (1 + \lambda \gamma_5) + \frac{\mu_p - \mu_n}{2m_p} \sigma_{\mu\nu} q^\nu \right\} n \bar{e} \gamma^\mu (1 - \gamma_5) \nu_e$$

$V_{ud}$  – CKM matrix element

$\lambda \equiv \frac{g_A}{g_V}$  – axial-to-vector coupling  
constant ratio

- Can be extracted from:

- Neutron lifetime

$f$  – phase space factor

$\delta_R$  – radiative correction (model independent)

$\Delta_R$  – radiative correction (model dependent)

$$\tau^{-1} = \frac{G_F^2 m_e^2}{2\pi^3} |V_{ud}|^2 f (1 + \delta_R) (1 + \Delta_R) (1 + 3\lambda^2)$$

- Angular distribution of decay products (correlation coefficients)

# Neutron $\beta$ -decay correlations

□ For decay of polarized neutrons of (polarization  $\langle \mathbf{J} \rangle / J$ ):

$$\begin{aligned} \frac{d^2\Gamma}{dE_e d\Omega_e d\Omega_\nu} \sim & 1 + \mathbf{a} \frac{\mathbf{p}}{E_e} \cdot \frac{\mathbf{q}}{E_\nu} + \mathbf{b} \frac{m_e}{E_e} + \frac{\langle \mathbf{J} \rangle}{J} \cdot \left[ \mathbf{A} \frac{\mathbf{p}}{E_e} + \mathbf{B} \frac{\mathbf{q}}{E_\nu} + \mathbf{D} \frac{\mathbf{p}}{E_e} \times \frac{\mathbf{q}}{E_\nu} \right] + \dots \\ & + \sigma \left[ \mathbf{G} \frac{\mathbf{p}}{E_e} + \mathbf{H} \frac{\mathbf{q}}{E_\nu} + \mathbf{K} \frac{\mathbf{p}}{E_e + m_e} \frac{\mathbf{p}}{E_e} \cdot \frac{\mathbf{q}}{E_\nu} + \mathbf{L} \frac{\mathbf{p}}{E_e} \times \frac{\mathbf{q}}{E_\nu} + \mathbf{N} \frac{\langle \mathbf{J} \rangle}{J} \right] \\ & + \sigma \left[ \mathbf{Q} \frac{\mathbf{p}}{E_e + m_e} \frac{\langle \mathbf{J} \rangle}{J} \cdot \frac{\mathbf{p}}{E_e} + \mathbf{R} \frac{\langle \mathbf{J} \rangle}{J} \times \frac{\mathbf{p}}{E_e} + \mathbf{S} \frac{\langle \mathbf{J} \rangle}{J} \frac{\mathbf{p}}{E_e} \cdot \frac{\mathbf{q}}{E_\nu} + \mathbf{T} \frac{\mathbf{p}}{E_e} \frac{\langle \mathbf{J} \rangle}{J} \cdot \frac{\mathbf{q}}{E_\nu} \right] \\ & + \sigma \left[ \mathbf{U} \frac{\mathbf{q}}{E_\nu} \frac{\langle \mathbf{J} \rangle}{J} \cdot \frac{\mathbf{p}}{E_e} + \mathbf{V} \frac{\mathbf{q}}{E_\nu} \times \frac{\langle \mathbf{J} \rangle}{J} + \mathbf{W} \frac{\mathbf{p}}{E_e + m_e} \frac{\langle \mathbf{J} \rangle}{J} \frac{\mathbf{p}}{E_e} \times \frac{\mathbf{q}}{E_\nu} \right] \end{aligned}$$

$\mathbf{p}$  – electron momentum       $\mathbf{q}$  – neutrino momentum

$\sigma$  – electron spin sensing direction

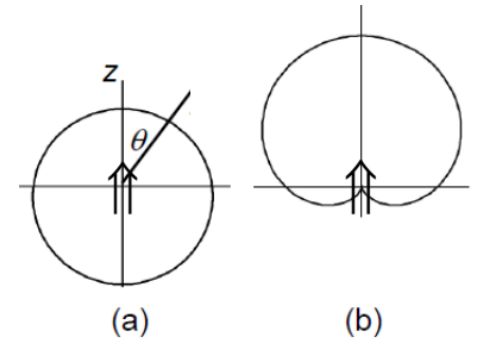
□ Coefficients  $\mathbf{a}$ ,  $\mathbf{b}$ , ...,  $\mathbf{W}$  are functions of  $\lambda$

J.D. Jackson et al., Phys. Rev. 106, 517 (1957); J.D. Jackson et al., Nucl. Phys. 4, 206 (1957);  
M.E. Ebel et al., Nucl. Phys. 4, 213 (1957)

# Neutron $\beta$ -asymmetry $A$

$A$  is the best measured correlation in n-decay

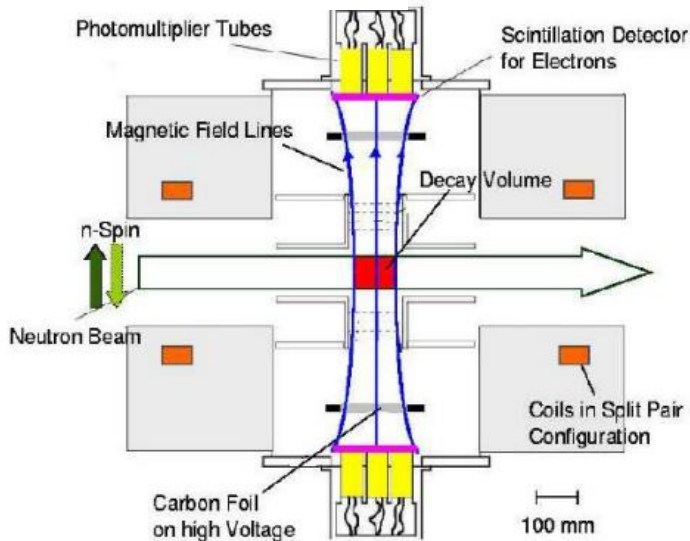
$$\frac{d^2\Gamma}{dE_e d\Omega_e} \sim 1 + A \frac{\langle \mathbf{J} \rangle}{J} \cdot \frac{\mathbf{p}}{E_e} = 1 + A P_n \beta \cos \theta$$



Angular distributions of (a) electrons, (b) antineutrinos

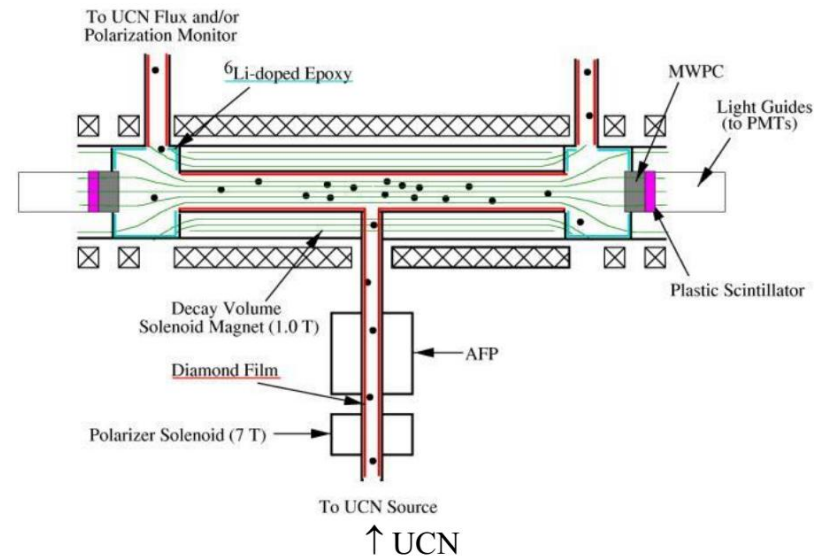
PERKEO II@ILL:

UCNA@LANSCE:



$$A = -0.1193 \pm 0.0003$$

Mund et al., PRL 110 (2013) 172502



$$A = -0.1195 \pm 0.0110$$

Mendenhall et al., PRC 97 (2013) 032501

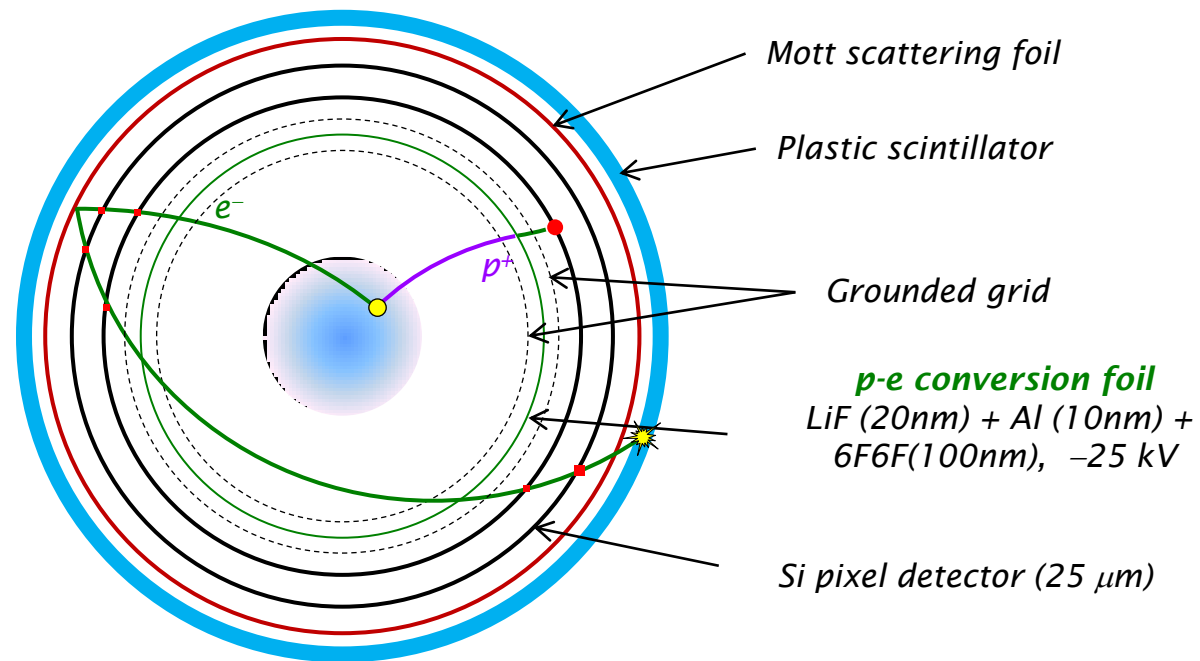
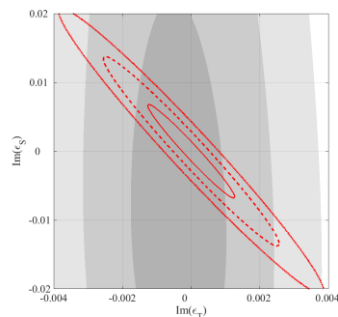
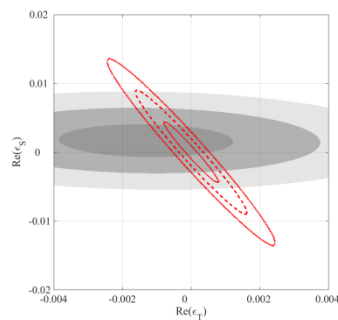


# Neutron $\beta$ -decay correlations worldwide

Experiment	Correlation and anticipated precision	Location and status
aSPECT	$a$ ( $3 \times 10^{-4}$ )	FRM-2 (ongoing)
aCORN	$a$ ( $5 \times 10^{-4}$ )	NIST (ongoing)
Nab/aBBa/PANDA	$a$ ( $\sim 10^{-4}$ ), $b$ ( $3 \times 10^{-4}$ ), $A, B, C$ ( $\sim 10^{-4}$ )	SNS (planned)
emiT	$D$ ( $\sim 10^{-4}$ ) – measured	NIST (completed)
PERC	$a, b, A$ ( $3 \times 10^{-5}$ ), $B, C, D$ (?)	FRM-2 (construction)
PERKEO	$A$ ( $2 \times 10^{-4}$ ), $B, C$ ( $2 \times 10^{-3}$ ) – measured	ILL (ongoing)
UCNA	$A$ ( $2.5 \times 10^{-3}$ )	LANL (ongoing)
UCNB	$B$ ( $< 10^{-3}$ )	LANL (ongoing)
nTRV	$N, R$ ( $\sim 10^{-2}$ ) - measured	PSI (completed)
<b>BRAND</b>	$a, A, B, D, H, L, N, R, S, U, V$ ( $\sim 5 \times 10^{-4}$ )	ESS (planned)

# BRAND project

- ❑ Systematic exploration of electron spin dependent correlations:  
*H, L, N, R, S, U, V*
- ❑ Linear sensitivity to BSM scalar and tensor couplings
- ❑ Competitive to Fierz term  $b$ ; completely different systematics



- ❑ **“HE” approach:** particle tracking, vertex reconstruction, pixel detectors

❑ L-o-I submitted to ESS

# Neutron lifetime experiments

## □ “In-beam”

- Register rate of decay products from well defined fiducial volume with well determined fluence rate

$$-\frac{dN}{dt} = \frac{1}{\tau} N$$

## □ Different kind of systematic effects

- “In-beam” limited by uncertainties of the decay volume and the beam fluence
- “Bottle” suffer from disappearance channels different than decay

## □ We know $\tau_n$ with:

- $\sim 1$  s statistical accuracy
- Few s systematic uncertainty

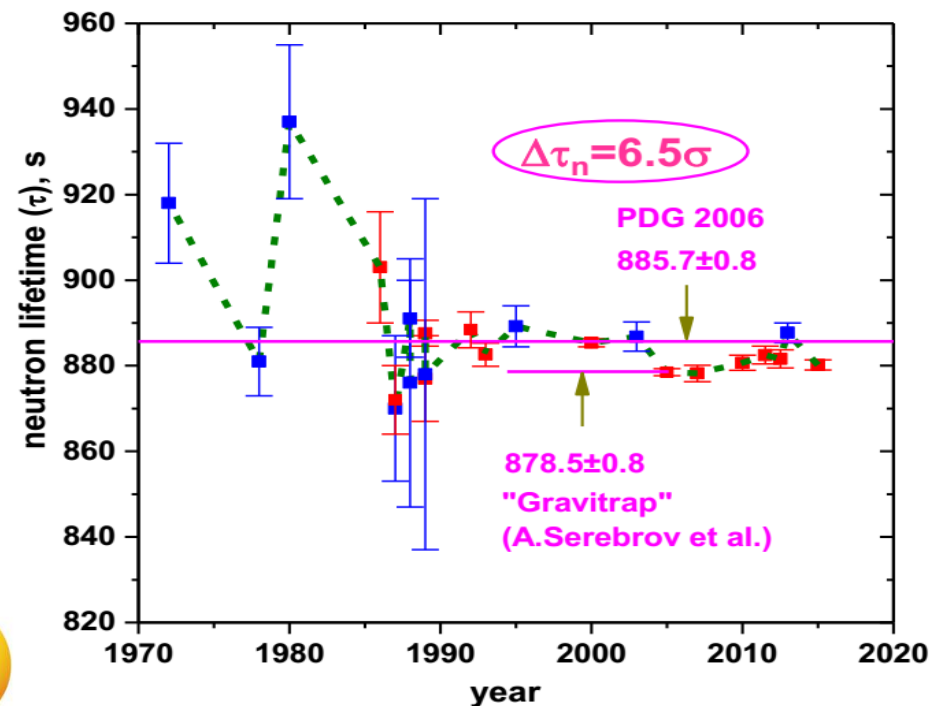
## □ Total uncertainty $\sim 0.5\%$



## □ “Bottle”

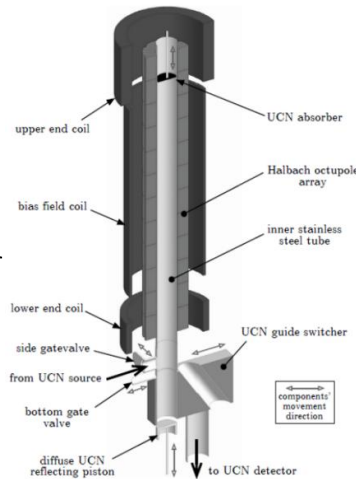
- Measure change with time of neutron ensemble confined in storage bottle

$$\frac{N_1}{N_2} = e^{-\frac{1}{\tau}(t_1-t_2)}$$

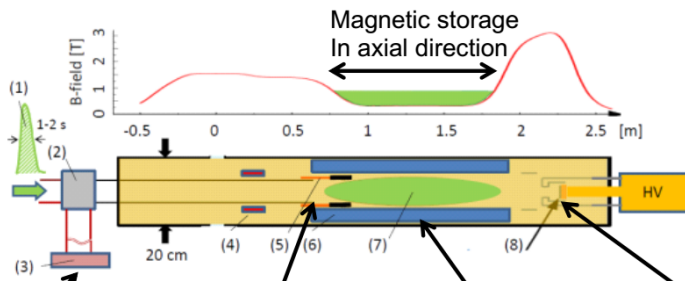


# Neutron lifetime - future projects - efforts for $\sigma(\tau_n) \sim 0.1$ s

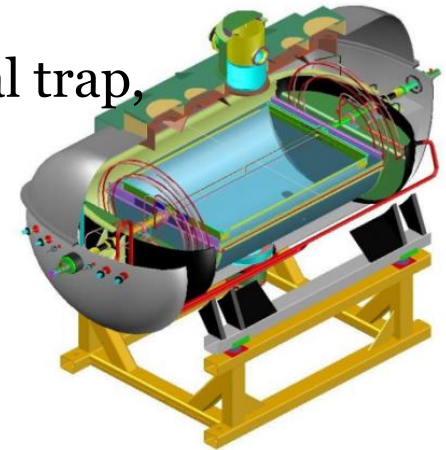
❑ **HOPE**  
magneto-gravitational trap, ILL



❑  **$\tau$ SPECT** –  
gravitational trap, Mainz



❑ Gravitational trap,  
PNPI-ILL

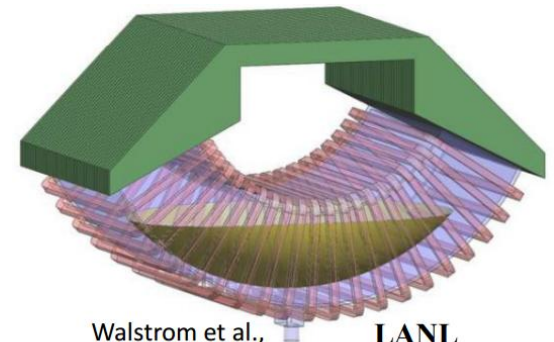


❑ **PENELOPE**  
magneto-gravitational trap, TUM



R. Picker et al.,  
J. Res. NIST 110 (2005) 357

❑ **UCN $\tau$**  magneto-gravitational trap, LANL



Walstrom et al., LANL  
Nucl. Instr. Meth. A 599 (2009) 82

# CKM unitarity - testing SM

- Unitarity condition requires:

$$|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 1$$

$$\begin{pmatrix} d_w \\ s_w \\ b_w \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

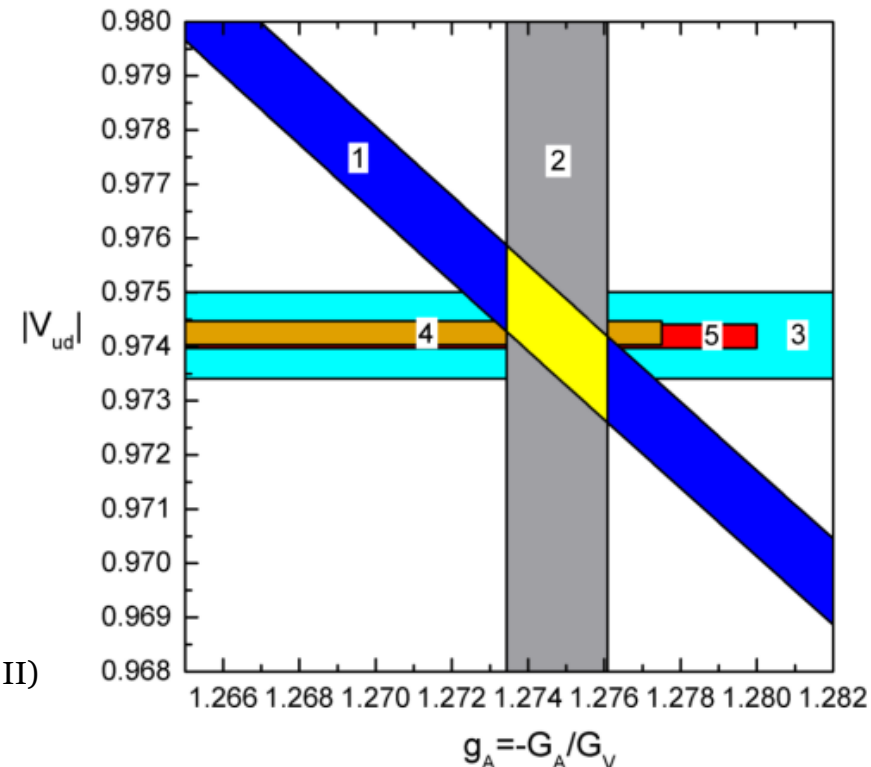
- $V_{ub}$  is small ( $V_{ub} = 3.6(7) \times 10^{-3}$ ) so the unitarity test involves essentially only  $V_{ud}$  and  $V_{us}$

- $V_{ud}$  from:

- Nuclear superallowed  $\beta$ -decays:** sophisticated nuclear structure calculations, some problems with  $Q$ -values
- From pion  $\beta$ -decay:** theoretically cleanest, statistically not competitive
- From neutron  $\beta$ -decay:** theoretically clean

- Neutron decay
- Neutron  $\beta$ -asymmetry  $A$  (PERKEO II)
- Neutron  $\beta$ -decay (PDG 2015 + PERKEO II)
- Unitarity
- $0^+ \rightarrow 0^+$  nuclear transitions

A. Serebrov (2016)



# EFT approach in $\beta$ -decay

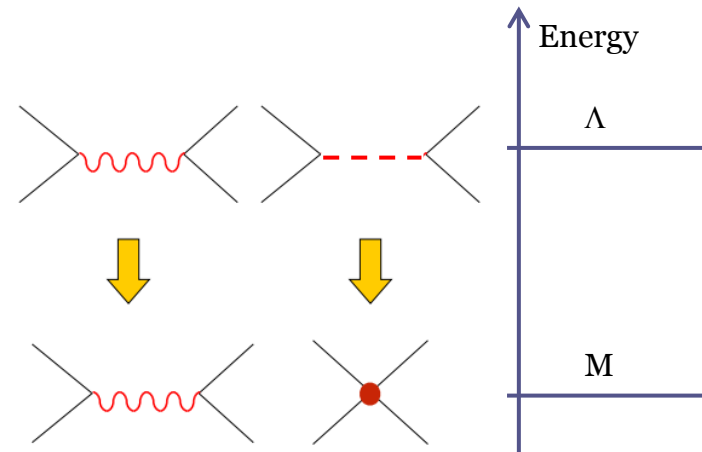
- For experiments at energy significantly lower than BSM scale ( $\Lambda_i$ ):

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \sum \frac{1}{\Lambda_i^2} \mathcal{L}_i \approx \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda^2} \sum \alpha_i \mathcal{O}_i^{(6)}$$

$\mathcal{O}_i^{(6)}$  – dimension-6 operators

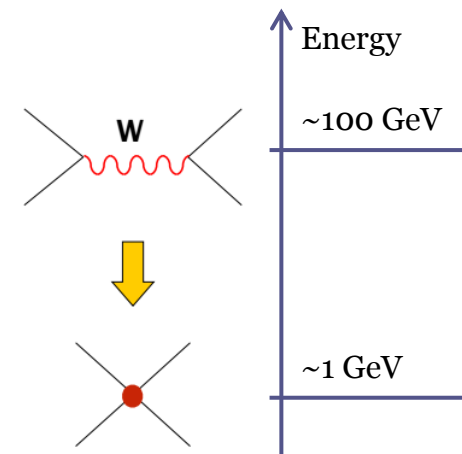
$\alpha_i$  – *Wilson coefficients*  $\alpha_i = \Lambda^2 f_i(g_{\text{BSM}}, M_{\text{BSM}})$

Observables for  $E \ll \Lambda$ : 
$$\mathcal{R} = \mathcal{R}_0 \left( 1 + \frac{\mathcal{O}(M)}{\Lambda} + \frac{\mathcal{O}(M^2, E^2, ME)}{\Lambda^2} + \dots \right)$$



- Semi-leptonic processes, partonic level, exchanged W-boson is heavy – SM interaction Lagrangian takes the contact (V-A)×(V-A) form

$$\mathcal{L}_{\text{SM}} = -\frac{G_F V_{ud}}{\sqrt{2}} \bar{e} \gamma_\mu (1 - \gamma_5) \nu_e \cdot \bar{u} \gamma^\mu (1 - \gamma_5) d$$



# EFT approach in $\beta$ -decay (cont.)

## □ Model independent EFT parameters

V. Cirigliano et al., Nucl. Phys. B 830 (2010)

T. Bhattacharya et al., Phys. Rev. D 85 (2012)

V. Cirigliano et al., JHEP 1302 (2013)

M. Gonzalez-Alonso et al., Ann. Phys. 525 (2013)

M. Gonzalez-Alonso et al., Phys. Rev. Lett. 112 (2014)

$$\begin{aligned}
 \mathcal{L}_{\text{eff}} = & -\frac{G_F V_{ud}}{\sqrt{2}} [ (1 + \epsilon_L) \bar{e} \gamma_\mu (1 - \gamma_5) \nu_e \cdot \bar{u} \gamma^\mu (1 - \gamma_5) d \\
 & + \tilde{\epsilon}_L \bar{e} \gamma_\mu (1 + \gamma_5) \nu_e \cdot \bar{u} \gamma^\mu (1 - \gamma_5) d \\
 & + \epsilon_R \bar{e} \gamma_\mu (1 - \gamma_5) \nu_e \cdot \bar{u} \gamma^\mu (1 + \gamma_5) d \\
 & + \tilde{\epsilon}_R \bar{e} \gamma_\mu (1 + \gamma_5) \nu_e \cdot \bar{u} \gamma^\mu (1 + \gamma_5) d \\
 & + \epsilon_S \bar{e} (1 - \gamma_5) \nu_e \cdot \bar{u} d + \tilde{\epsilon}_S \bar{e} (1 + \gamma_5) \nu_e \cdot \bar{u} d \\
 & - \epsilon_P \bar{e} (1 - \gamma_5) \nu_e \cdot \bar{u} \gamma_5 d - \tilde{\epsilon}_P \bar{e} (1 + \gamma_5) \nu_e \cdot \bar{u} \gamma_5 d \\
 & + \epsilon_T \bar{e} \sigma_{\mu\nu} (1 - \gamma_5) \nu_e \cdot \bar{u} \sigma^{\mu\nu} (1 - \gamma_5) d \\
 & + \tilde{\epsilon}_T \bar{e} \sigma_{\mu\nu} (1 + \gamma_5) \nu_e \cdot \bar{u} \sigma^{\mu\nu} (1 + \gamma_5) d ] + \text{h.c.} .
 \end{aligned}$$

□ Valid also for  $\pi^\pm \rightarrow \pi^0 e^\pm \nu$

## □ Low-energy simplifications:

- Neglect RH neutrinos –  $\tilde{\epsilon}_{L,R,S,P,T} = 0$
- Pseudo-scalar contribution (non-relativistic limit) –  $\epsilon_P = 0$

$$\begin{aligned}
 \mathcal{L}_{\text{eff}} = & -\frac{G_F V_{ud}}{\sqrt{2}} [1 + \text{Re}(\epsilon_L + \epsilon_R)] \times \\
 & \times \{ \bar{e} \gamma_\mu (1 - \gamma_5) \nu_e \cdot \bar{u} \gamma^\mu [1 - (1 - 2\epsilon_R) \gamma_5] d \\
 & + \epsilon_S \bar{e} (1 - \gamma_5) \nu_e \cdot \bar{u} d \\
 & + \epsilon_T \bar{e} \sigma_{\mu\nu} (1 - \gamma_5) \nu_e \cdot \bar{u} \sigma^{\mu\nu} (1 - \gamma_5) d \} + \text{h.c.}
 \end{aligned}$$



# Nucleon-level effective couplings

- Lee-Yang effective Lagrangian (leading order, momentum transfer):

$$\begin{aligned}
 -\mathcal{L}_{n \rightarrow pe^- \bar{\nu}_e} = & \bar{p} n (C_S \bar{e} \nu_e - C'_S \bar{e} \gamma_5 \nu_e) \\
 & + \bar{p} \gamma^\mu n (C_V \bar{e} \gamma_\mu \nu_e - C'_V \bar{e} \gamma_\mu \gamma_5 \nu_e) \\
 & + \bar{p} \sigma^{\mu\nu} n (C_T \bar{e} \sigma_{\mu\nu} \nu_e - C'_T \bar{e} \sigma_{\mu\nu} \gamma_5 \nu_e) \\
 & - \bar{p} \gamma^\mu \gamma_5 n (C_A \bar{e} \gamma_\mu \gamma_5 \nu_e - C'_A \bar{e} \gamma_\mu \nu_e) \\
 & + \bar{p} \gamma_5 n (C_P \bar{e} \gamma_5 \nu_e - C'_P \bar{e} \nu_e) + \text{h.c.} .
 \end{aligned}
 \quad \begin{aligned}
 & C_i, C'_i \quad (i \in \{V, A, S, T\}) \\
 & C_i = \frac{G_F}{\sqrt{2}} V_{ud} \bar{C}_i \\
 & \langle p | \bar{u} \Gamma d | n \rangle = g_\Gamma \bar{\psi}_p \Gamma \psi_n
 \end{aligned}$$

- Effective nucleon-level couplings can be expressed in parton-level parameters:

$$\begin{aligned}
 \bar{C}_S &= g_S (\epsilon_S + \tilde{\epsilon}_S) \\
 \bar{C}'_S &= g_S (\epsilon_S - \tilde{\epsilon}_S) \\
 \bar{C}_V &= g_V (1 + \epsilon_L + \epsilon_R + \tilde{\epsilon}_L + \tilde{\epsilon}_R) \\
 \bar{C}'_V &= g_V (1 + \epsilon_L + \epsilon_R - \tilde{\epsilon}_L - \tilde{\epsilon}_R) \\
 \bar{C}_A &= -g_A (1 + \epsilon_L - \epsilon_R - \tilde{\epsilon}_L + \tilde{\epsilon}_R) \\
 \bar{C}'_A &= -g_A (1 + \epsilon_L - \epsilon_R + \tilde{\epsilon}_L - \tilde{\epsilon}_R) \\
 \bar{C}_P &= g_P (\epsilon_P - \tilde{\epsilon}_P) \\
 \bar{C}'_P &= g_P (\epsilon_P + \tilde{\epsilon}_P) \\
 \bar{C}_T &= 4 g_T (\epsilon_T + \tilde{\epsilon}_T) \\
 \bar{C}'_T &= 4 g_T (\epsilon_T - \tilde{\epsilon}_T)
 \end{aligned}$$

- Form factors are the key ingredients for translation of hadron-level coupling constants to parton-level parameters*



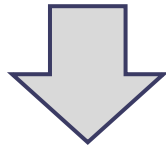
# EFT approach in $\beta$ -decay (cont.)

- $g_A$  from experiment (Lattice QCD still not accurate):

$$g_A \rightarrow g_A \operatorname{Re} \left[ \frac{1 + \epsilon_L - \epsilon_R}{1 + \epsilon_L + \epsilon_R} \right] \approx g_A [1 - 2\operatorname{Re}(\epsilon_R)] + \mathcal{O}(\epsilon_i^2)$$

- 6 parameters left for probing:

- $\epsilon_L + \epsilon_R$  – can be absorbed in  $V_{ud}$  (CKM unitarity tests)
- Real parts of  $\epsilon_S$  and  $\epsilon_T$
- Imaginary parts of  $\epsilon_R, \epsilon_S$  and  $\epsilon_T$

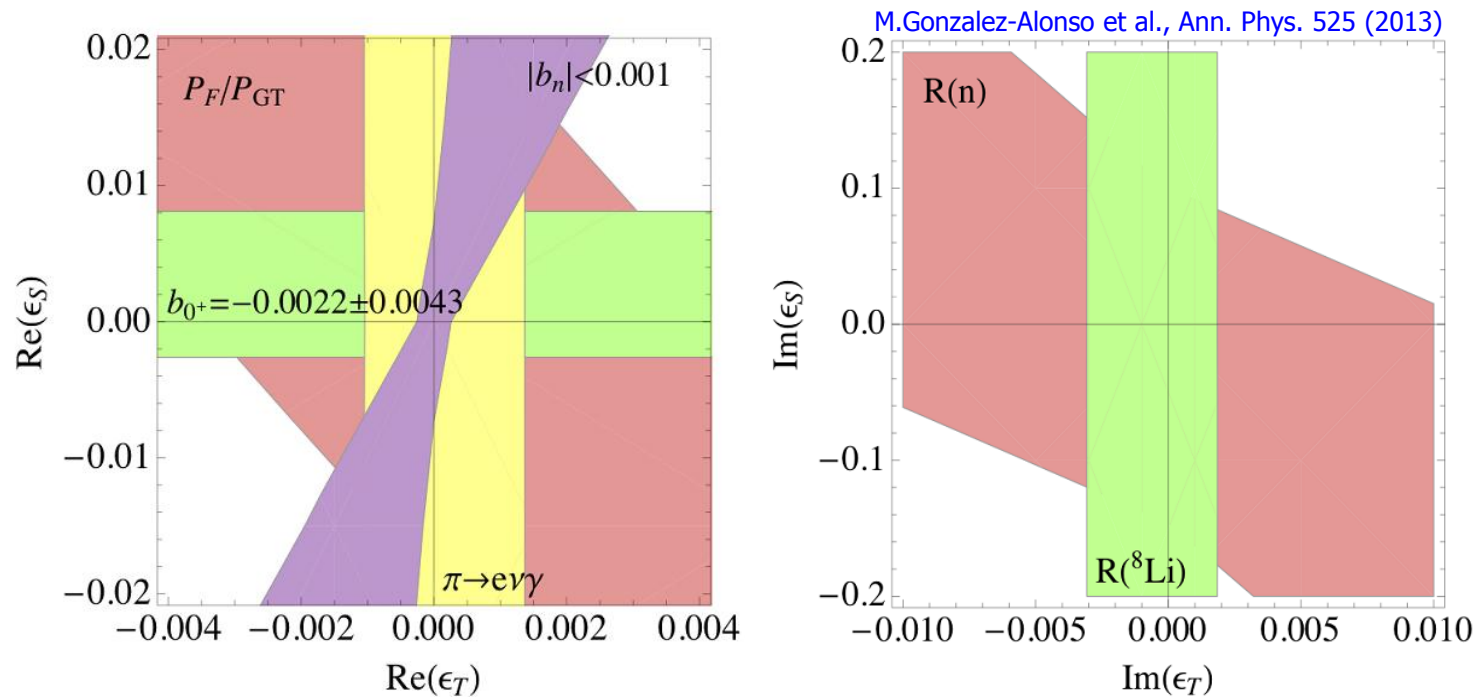


- FF from Lattice QCD calculation

- Modest knowledge of  $g_S$  and  $g_T$  is still sufficient for present accuracy level of experimental observables

	$g_S$	$g_T$
Adler et al.'1975	0.60(40)	1.45(85)
PNDME 2011	0.80(40)	1.05(35)
LHPC 2012	1.08(32)	1.04(02)
PNDME 2013	0.66(24)	1.09(05)

# Current (and near-future) experimental limits from $\beta$ -decay



- ❑ **Most wanted is Fierz term  $b_n$  – to be extracted from spectrum shape – challenging**
- ❑ **Electron spin dependent correlation (BRAND) can do the job as well – challenging (different systematics)**

# Limits from high energy

- Electrons and missing transverse energy (MET) channel

$$\sigma(pp \rightarrow e + \text{MET} + X)$$

- Underlying partonic process is the same as in  $\beta$ -decay ( $\bar{u}d \rightarrow e\bar{\nu}$ )
- If BSM particles are too heavy to be produced on-shell  $\rightarrow$  EFT analysis appropriate
- Express weak scale Lagrangian in terms of EFT parameters and calculate cross section

$$\begin{aligned} \sigma(m_T > \bar{m}_T) &= \sigma_W \left[ \left| 1 + \epsilon_L^{(v)} \right|^2 + |\tilde{\epsilon}_L|^2 + |\epsilon_R|^2 \right] \\ &\quad - 2\sigma_{WL} \text{Re} \left( \epsilon_L^{(c)} + \epsilon_L^{(c)} \epsilon_L^{(v)*} \right) + \sigma_R \left[ |\tilde{\epsilon}_R|^2 + |\epsilon_L^{(c)}|^2 \right] \\ &\quad + \sigma_S \left[ |\epsilon_S|^2 + |\tilde{\epsilon}_S|^2 + |\epsilon_P|^2 + |\tilde{\epsilon}_P|^2 \right] + \sigma_T \left[ |\epsilon_T|^2 + |\tilde{\epsilon}_T|^2 \right] \end{aligned}$$

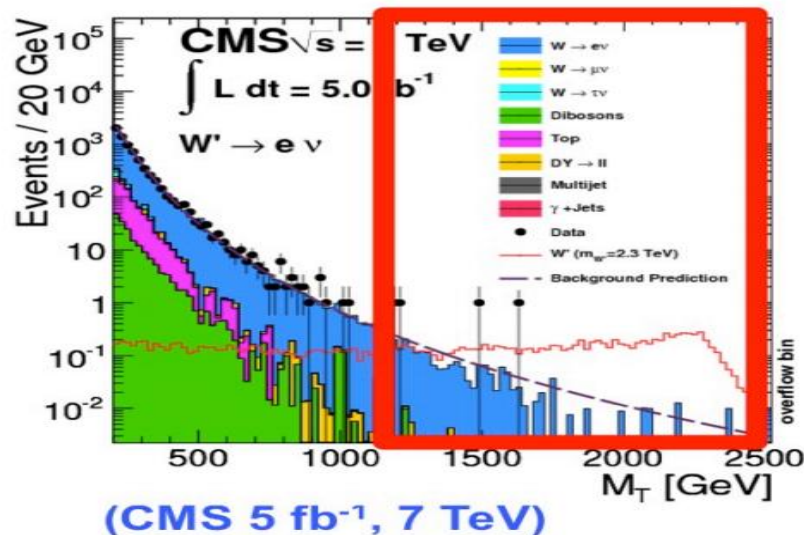
# CMS results

$$|\epsilon_{S,P}|, |\tilde{\epsilon}_{S,P}| < 5.8 \times 10^{-3},$$

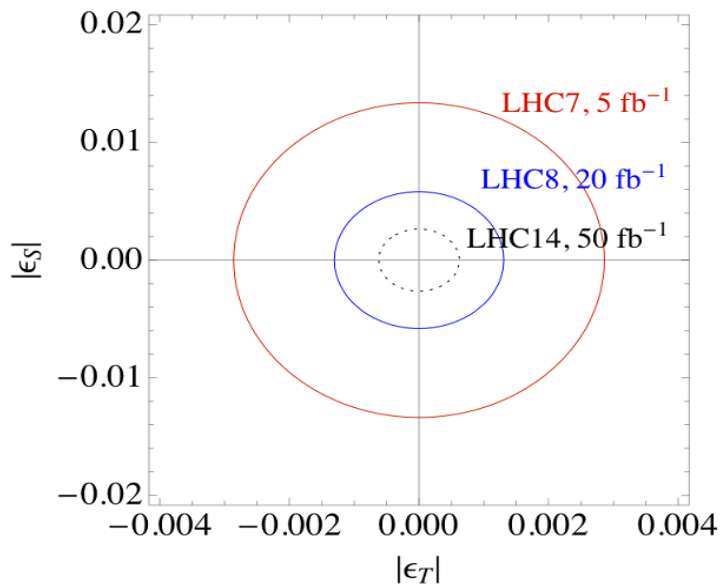
$$|\epsilon_T|, |\tilde{\epsilon}_T| < 1.3 \times 10^{-3},$$

$$|\tilde{\epsilon}_R|, |\text{Im } \epsilon_L^{(c)}| < 2.2 \times 10^{-3},$$

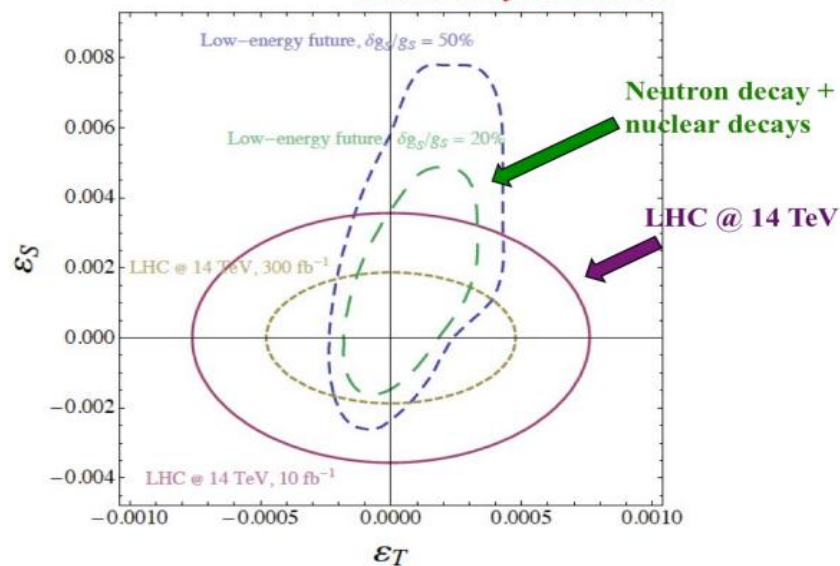
$$\text{Re } \epsilon_L^{(c)} \in (-1.1, 4.5) \times 10^{-3}$$



M. Gonzalez-Alonso et al., Ann. Phys. 525 (2013)



Bhattacharya et al. 2012

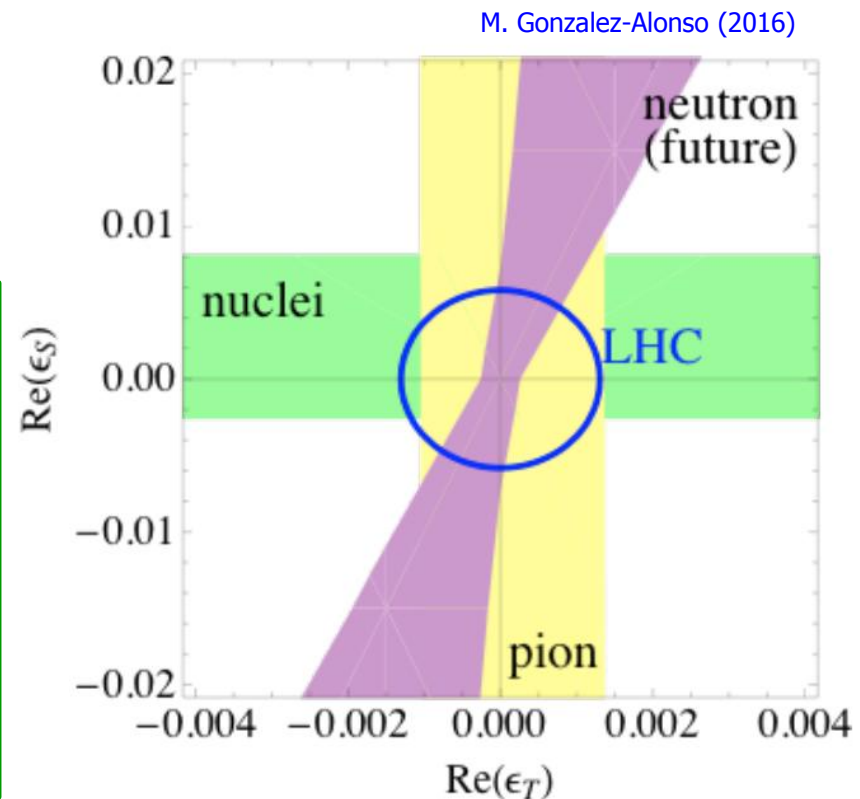


# LE-HE competition

- Benefits for  $\beta$ -decay analysis from better determination of  $g_S$  and  $g_T$  FF

	$g_S$	$g_T$
Adler et al.'1975	0.60(40)	1.45(85)
PNDME 2011	0.80(40)	1.05(35)
LHPC 2012	1.08(32)	1.04(02)
RQCD 2014	1.02(35)	1.01(02)
PNDME 2013/15	0.72(32)	1.02(08)
ETMC 2015	1.21(42)	1.03(06)
$\chi$ QCD 2015	0.66(03) <sub>stat</sub>	-
CVC	1.02(11)	-
PNDME 2016 (*)	0.98(11)	0.994(46)

(\*) to appear



- The dream scenario would be that LHC finds a BSM particle on-shell and  $\beta$ -decay has to confirm it in observables (off-shell corrections)

# Neutron EDM

# EDM of elementary particles

- Not degenerated spin 1/2 particle:
  - Spin is the reference direction for magnetic ( $\mu$ ) and electric ( $d$ ) dipole moments
  - Hamiltonians for interaction with magnetic and electric fields are

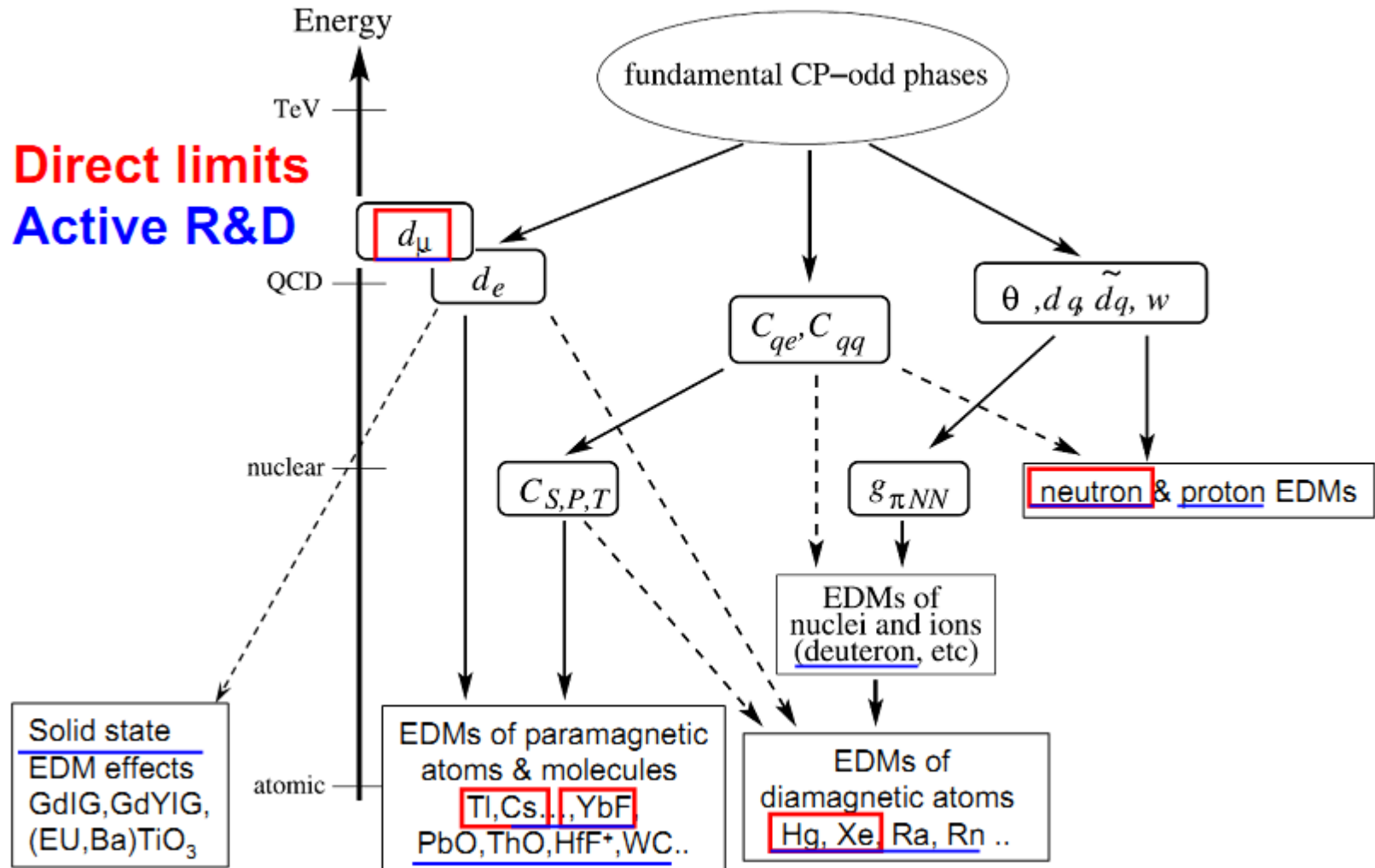
$$H_M = -\boldsymbol{\mu} \cdot \mathbf{B} = -\mu \boldsymbol{\sigma} \cdot \mathbf{B} \quad H_E = -\mathbf{d} \cdot \mathbf{E} = -d \boldsymbol{\sigma} \cdot \mathbf{E}$$

- $d$  is T-odd and P-odd
- $d \neq 0 \Rightarrow$  T is violated and CP is violated (through CPT theorem)

- SM predictions for  $d$  are:

$$d_e \simeq 10^{-40} e \cdot \text{cm} \quad d_n \simeq 10^{-31} e \cdot \text{cm}$$

# CP violation and permanent EDM



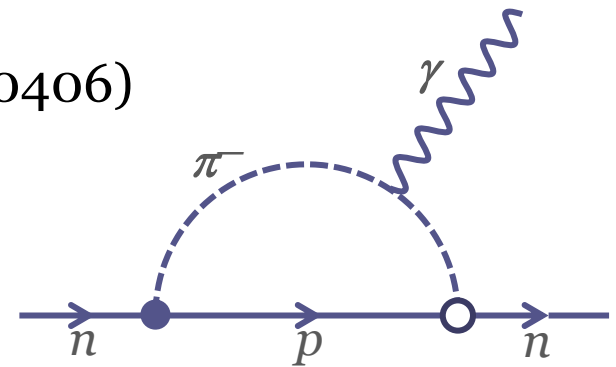
Direct limits  
Active R&D



# Neutron EDM

- **Neutron EDM** – ideal tool for search of CP-violation sources beyond SM: *no “SM-background” seen in e.g. K- and B-systems ( $\varepsilon, \varepsilon'$ )*
- **“Strong CP problem”** ( $\theta$ -term)
  - Fine tune is needed to accommodate very small EDM values ( $\theta < 2 \times 10^{-10}$ )
  - Axions? (Zavattini et al., PRL 96 (2006) 110406)

$$\mathcal{L}_{\text{QCD}} \approx \mathcal{L}_{\text{QCD}}^{\theta_{\text{QCD}}=0} + \theta_{\text{QCD}} \frac{g_s^2}{32\pi^2} G_{\mu\nu} \tilde{G}^{\mu\nu}$$

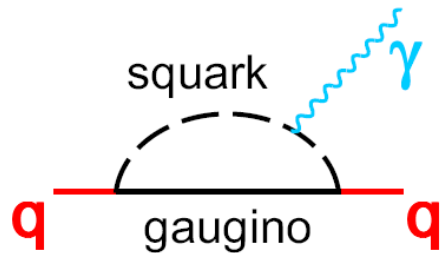


$$d_n \approx 10^{-16} e \cdot \text{cm} \times \theta_{\text{QCD}} \Rightarrow \theta_{\text{QCD}} \leq 10^{-10}$$

**Why is  $\theta_{\text{QCD}}$  so small?**

## Neutron EDM (cont.)

- **"SUSY CP problem"** ("overproduction" of EDM in SUSY models)



$$d_q = (\text{loop factor}) \times \frac{m_q}{\Lambda^2} \times \sin \varphi_{\text{CP}}$$

loop factor  $\sim \alpha/\pi$

scale of SUSY breaking  $\Lambda \sim \text{GeV}$

$\varphi_{\text{CP}}$  – CP-phase



$$d_{u,d} = 3 \times 10^{-24} e \cdot \text{cm}$$

n EDM:  $\Rightarrow d_{u,d}$  are 10-100 times less !

# Neutron EDM

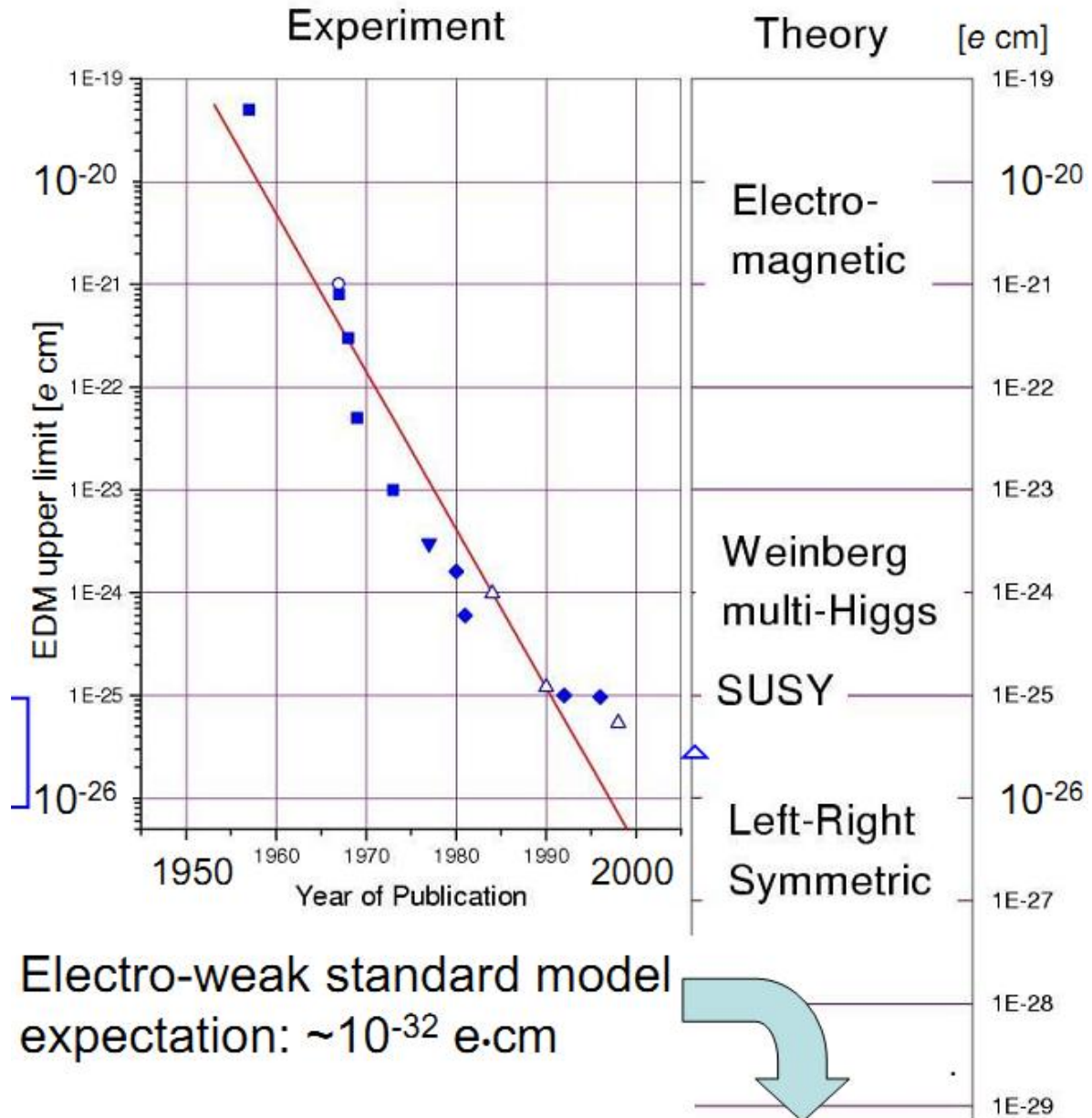
- Present experimental limit:

$$d_n < 3.0 \times 10^{-26} e \cdot \text{cm}$$

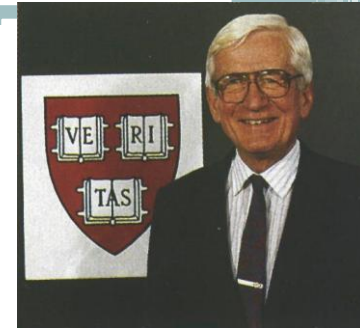
C.A. Baker et al.,  
PRL97 (2006) 0609055  
J.M. Pendlebury et al.,  
PRD 92(2015)092003

- Anticipated accuracy of new experiments:

$$d_n \sim 10^{-28} e \cdot \text{cm}$$

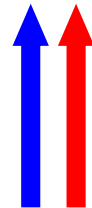
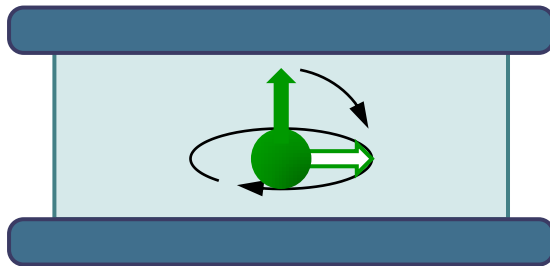


# Neutron EDM measurement

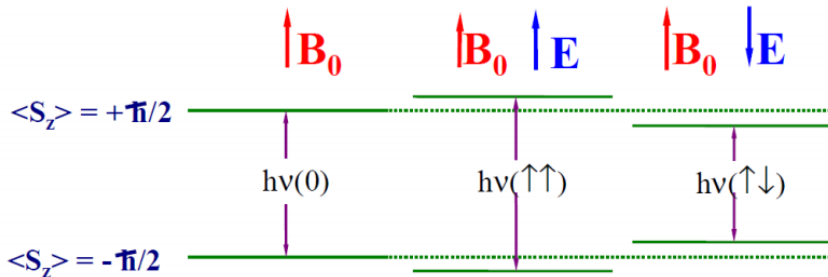


Measure energy shift for  $B_0, E_0$  fields aligned parallel and anti-parallel

Ramsey method of separated oscillating fields



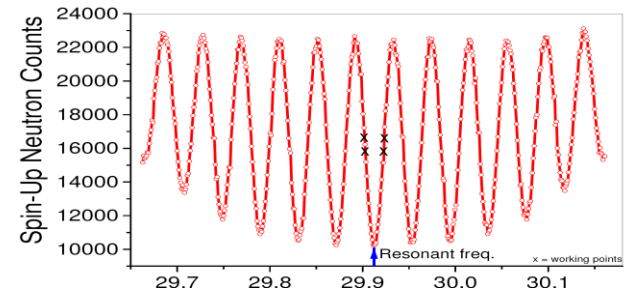
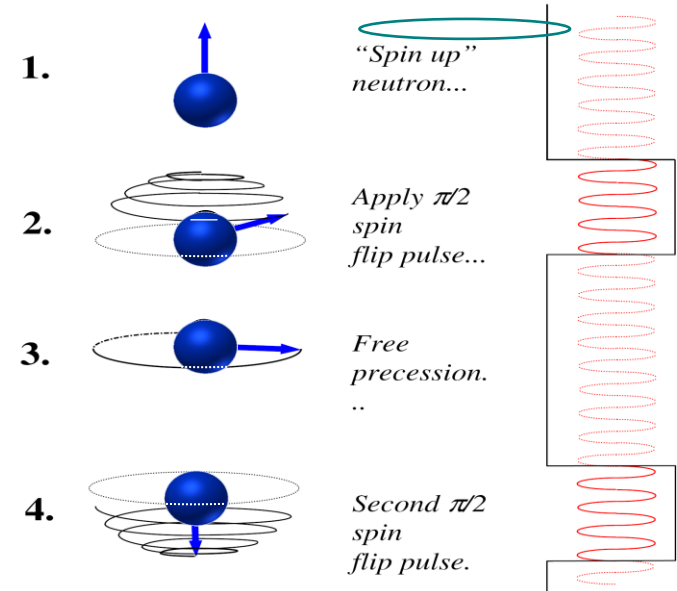
$$\begin{aligned} h\nu_{\uparrow\uparrow} &= 2(\mu B + d_n E) \\ h\nu_{\uparrow\downarrow} &= 2(\mu B - d_n E) \\ \hline h\Delta\nu &= 4 d_n E \end{aligned}$$



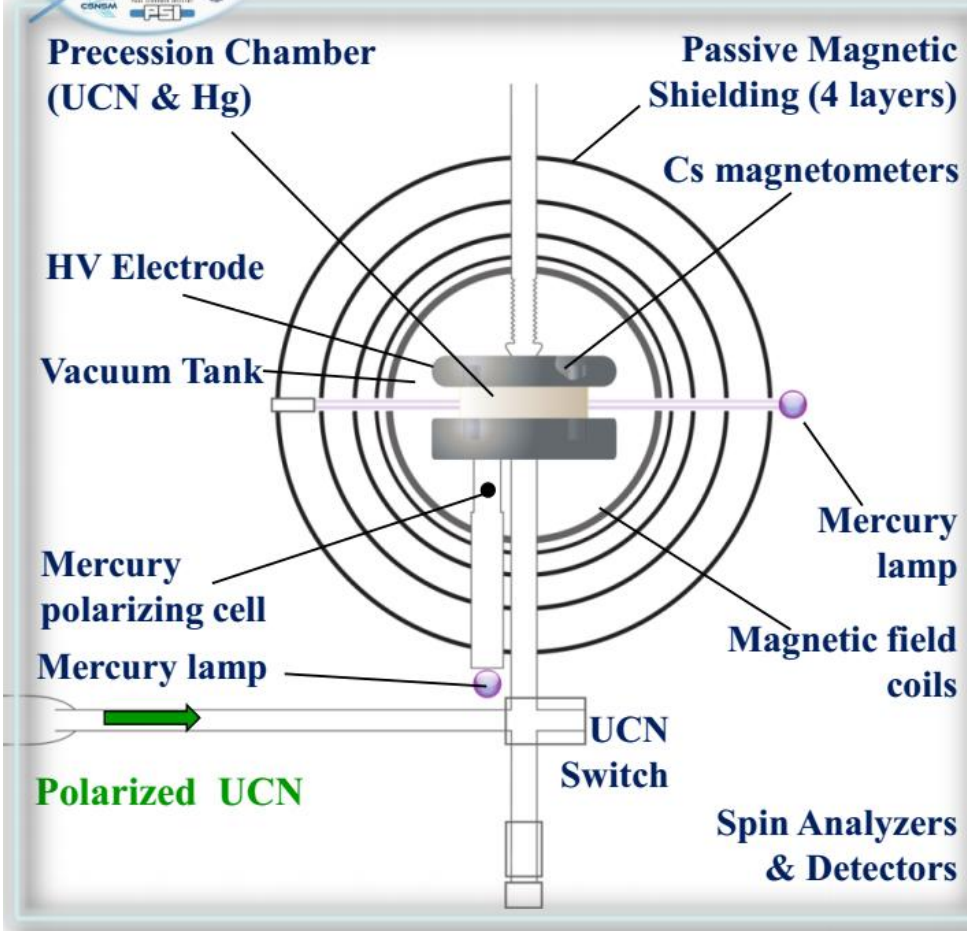
$$d_n = 5 \times 10^{-28} e \cdot \text{cm}, \quad E_0 = 15 \text{ kV/cm}$$

$$\Rightarrow h\nu = 3 \times 10^{-23} \text{ eV}$$

$$\sigma(d_n) = \frac{\hbar}{2\alpha E T \sqrt{N}}$$



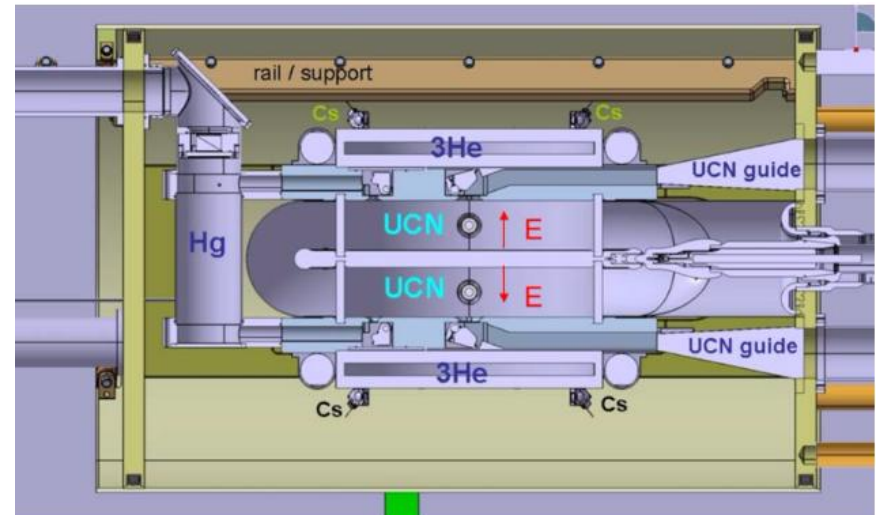
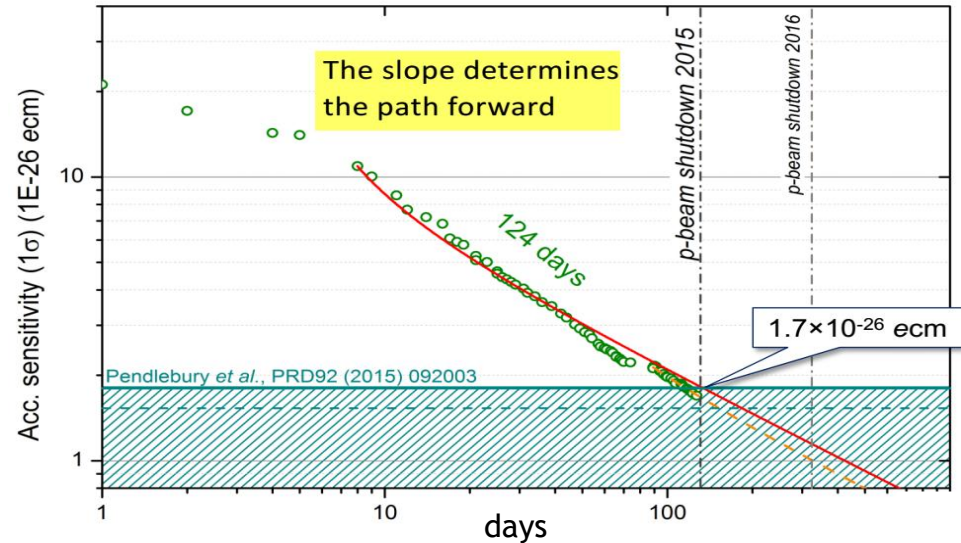
# Neutron EDM at PSI





# Neutron EDM at PSI

- ❑ **Best sensitivity per day** (ever) reached in 2015:  
 $1.1 \times 10^{-26} \text{ e}\cdot\text{cm}/\text{day}$
- ❑ **Data taking** – two campaigns (2016, 2017) with present setup in view
  
- ❑ **New spectrometer** (double chamber) in construction – to be installed in 2018
- ❑ **Ultimate goal:**  
 $\sigma(d_n) < 5 \times 10^{-28} \text{ e}\cdot\text{cm}$



# Neutron EDM projects worldwide

## □ Operational:

- PNPI+ILL+PTI@ILL - upgrading
- nEDM@PSI – takes data upgrade to n2EDM in 2018

## □ R&D and construction:

- @RCNP/TRIUMF (Canada)
- @FRM-2 (Germany)
- @SNS (USA)
- @PNPI (Russia)
- @LANL (USA)

## □ Possible future projects:

- @PIK (Russia)
- @J-PARK (Japan)
- @ESS (Sweden)

□ *All projects aim at 1 – 2 orders of magnitude improvement*

**“Exotics”**



# Neutron in fundamental physics

- ❑ **Neutron lifetime – baryogenesis – CMB**
- ❑  **$n$ - $\bar{n}$  oscillations**
  - Baryon number violation
- ❑  **$n$ - $n'$  oscillations (neutron  $\leftrightarrow$  mirror neutron)**
  - Expected oscillation times of  $\tau_{n-n'} \sim 1 \div 1000$  s
  - Could explain transport of UHE protons over large distances
  - Dark matter
  - Poor limit can be improved with UCN's by 3 orders of magnitude
- ❑ **Neutrons test Lorentz Invariance and/or CPT**
  - Neutron EDM spectrometer is an accurate clock
- ❑ **Neutrons and gravitation**
  - Quantum states in Earth field
  - Extra dimensions
- ❑ **Neutron interferometry**
  - Berry's topological phase
  - Aharonov-Bohm, Aharonov-Casher squeezed states

# Summary and outlook

## ❑ Neutron observables:

- *Directly test SM and search for TeV scale physics beyond SM*

## ❑ The dream scenario:

- *LHC finds BSM particle(s) on-shell and  $\beta$ -decay has to confirm it in observables (off-shell corrections)*

## ❑ Fundamental neutron research is:

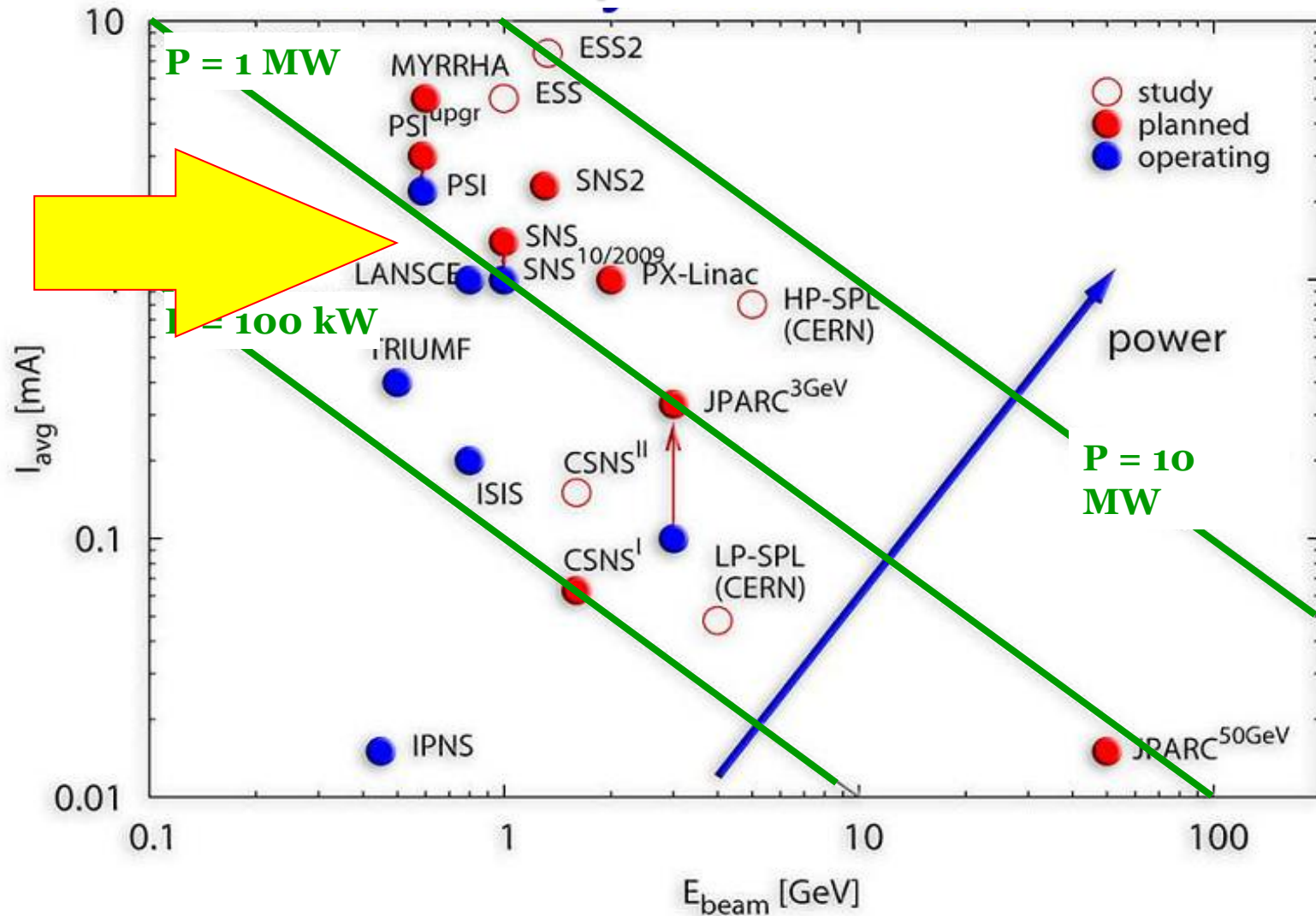
- *Important for Particle Physics*
- *Addressed in several labs worldwide*
- *Promising as new installations (CN-beams, UCN) are under construction*

## ❑ New results:

- *Expected soon from variety of ongoing and planned projects*

# Backup slides

# Intensive proton beams

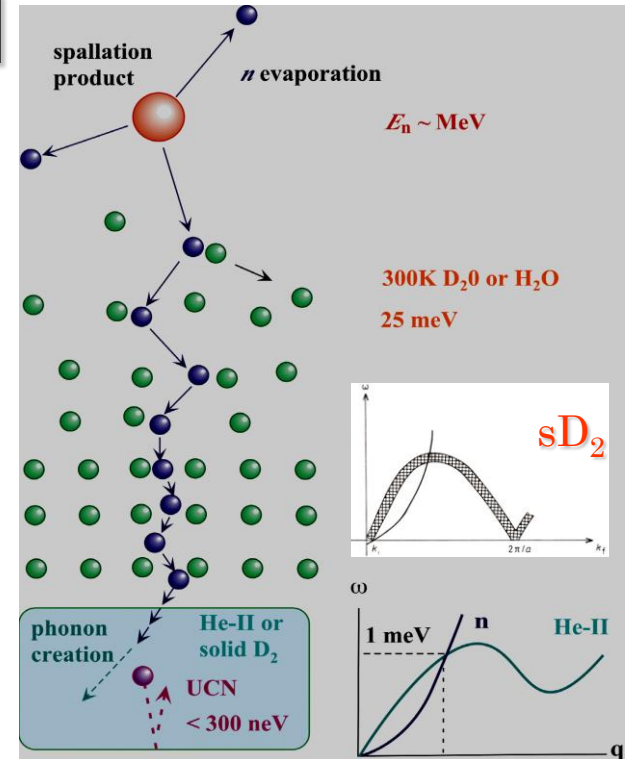
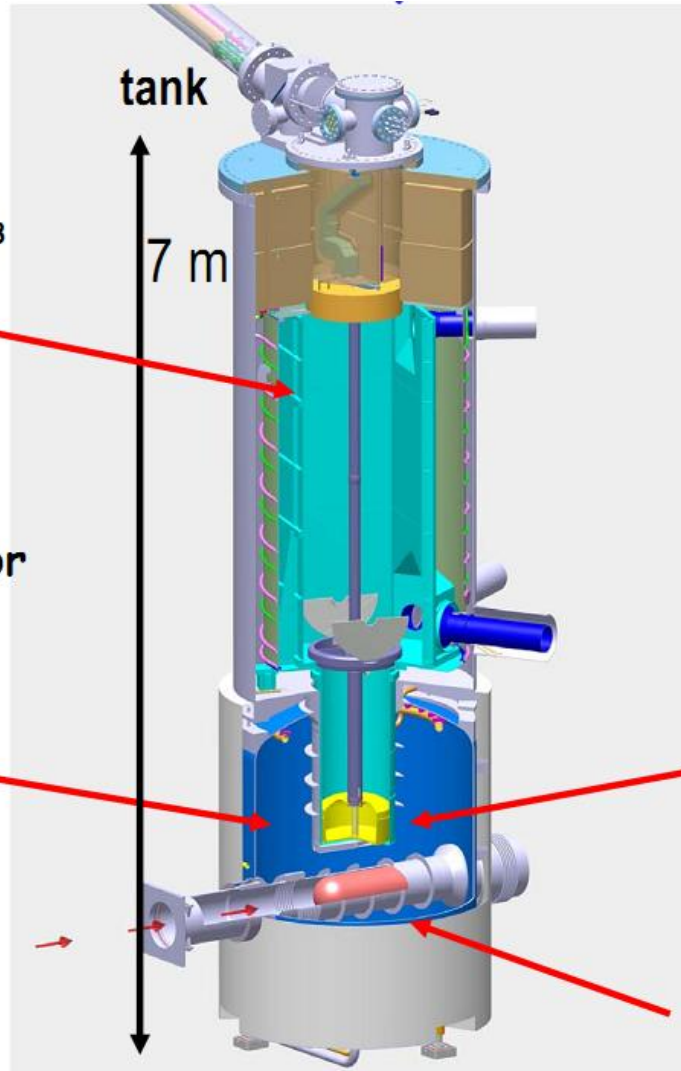


# UCN spallation source at PSI

DLC coated  
UCN storage volume  
height 2.5 m,  $\sim 2 \text{ m}^3$   
 $\rho_{\text{UCN}} \sim 2000 \text{ cm}^{-3}$

heavy water moderator  
→ thermal neutrons  
 $3.6 \text{ m}^3 \text{ D}_2\text{O}$

pulsed  
1.3 MW p-beam  
600 MeV, 2.4 mA,  
1% duty cycle



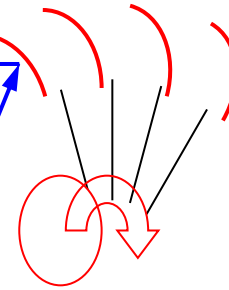
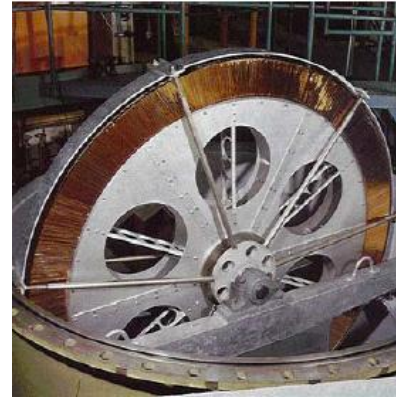
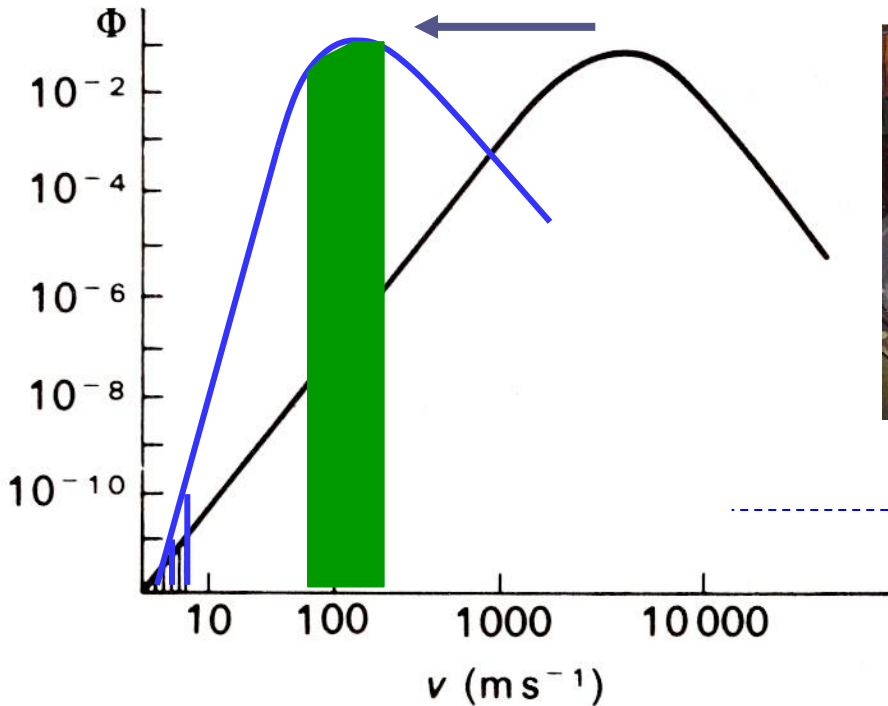
cold UCN-converter  
 $30 \text{ dm}^3$  solid  $\text{D}_2$  at 5 K

spallation target (Pb/Zr)  
( $\sim 8$  neutrons/proton)



# UCN at ILL Grenoble

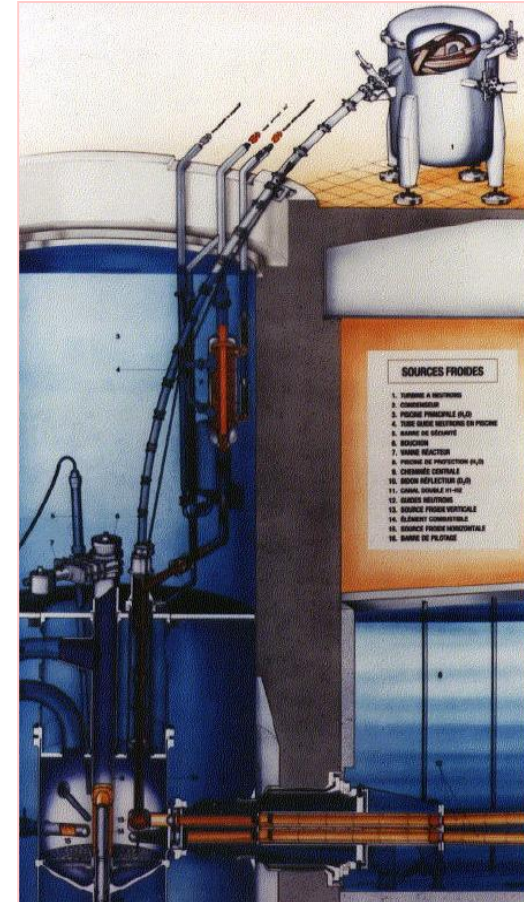
- ❑ Vertical extraction of CN
- ❑ Kinetic deceleration (Steyerl's turbine)



- ❑ Limitation of UCN density is due to Liouville's theorem

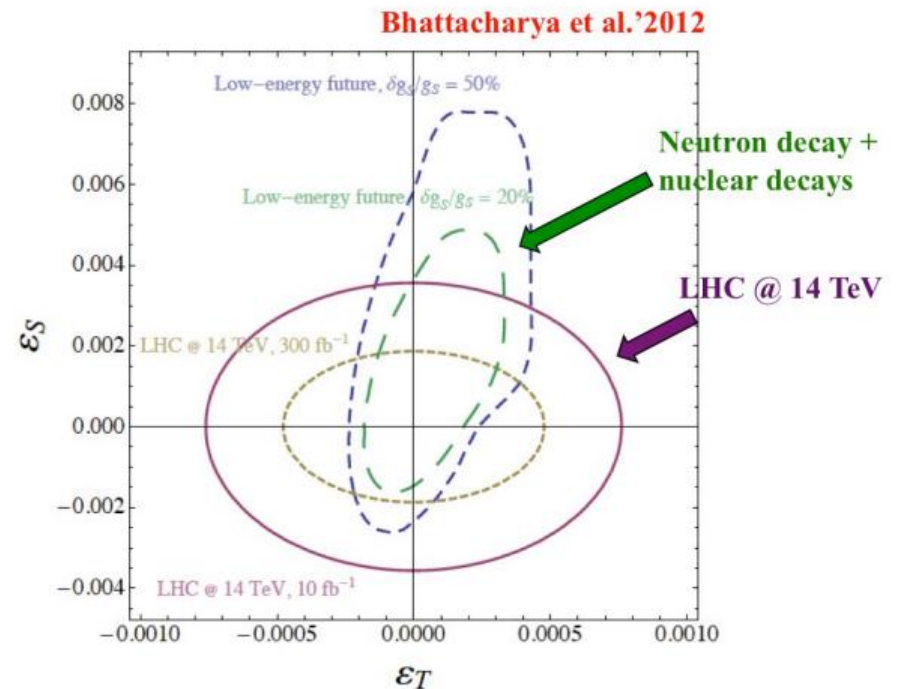
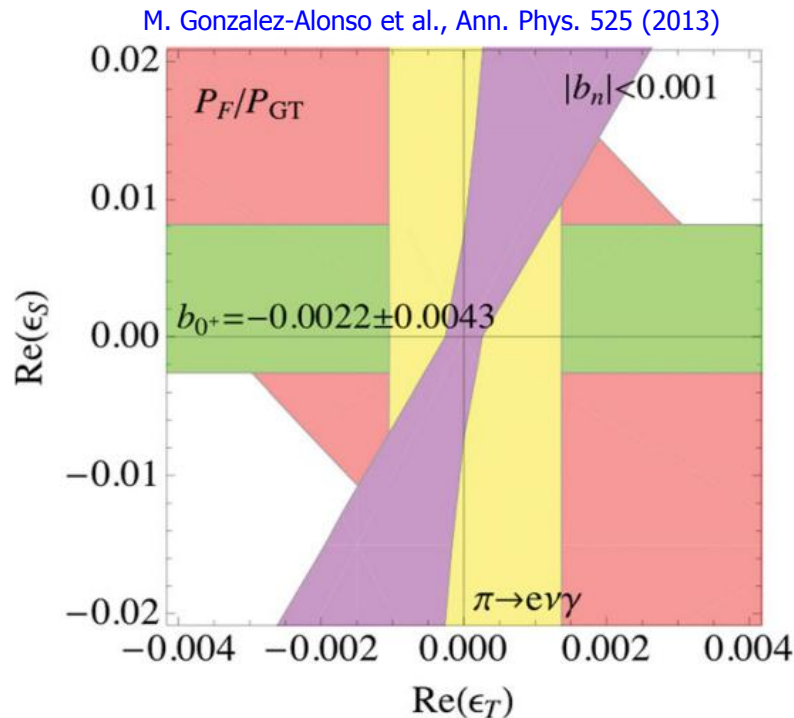


Grenoble



# LE-HE competition

- Next generation neutron and nuclear  $\beta$ -decay experiments will compete even with full luminosity LHC results



- The dream scenario would be that LHC finds a BSM particle on-shell and  $\beta$ -decay has to confirm it in observables (off-shell corrections)