

# Interplane alignment of SiT detector in ATLAS Forward Proton detectors

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## **ATLAS Forward Proton Detector**

The ATLAS Forward Proton (AFP) detectors open up new possibilities to expand the ATLAS physics reach and probe unique physics processes by measuring intact protons produced diffractive and photon-induced in The AFP and ATLAS processes. detectors together provide:

- enhanced kinematic control of the final states
- significant background reduction
- various tests of the QED processes with a low but well-predicted cross-section



The process where one or both protons remain intact can only happen when the quantum numbers of protons not change. The Pomeron do exchange provides this in the strong interaction, and photon exchange in electromagnetic interaction.



Figure 1. Schematic of AFP system, which uses devices named Roman pots to perform the measurement in the vicinity of the LHC beam [1]. The near stations consist of only 3D Silicon Tracker (SiT) detectors that measure the positions of the protons, while the far stations contain also Time-of-Flight (ToF) detectors, which

Figure 2. Feynman diagrams of exclusive production (left) and single diffractive dissociative production (right).

: Track

## **AFP Reconstruction**

The first step is the reconstruction of clusters from hits recorded by the SiT planes. Afterwards, the tracks are reconstructed by applying a linear regression to the cluster positions. Finally, the protons are reconstructed at one or two stations using positions of the tracks.



Figure 3. SiT detector with 3D silicon pixel sensors is seen on the left [1]. It consists of  $336 \times 80$  pixels with the dimensions of  $50 \,\mu m \times 250 \,\mu m$ . The thickness of the plane is  $230 \,\mu m$ . The planes are tilted by 14° to achive the resolution of  $6 \mu m$  on the x-axis and  $30 \mu m$  on the y-axis [2]. A sketch of the proton reconstruction process is given on the right.

## **Interplane alignment of SiT detector**

The aim of the interplane alignment is a precise understanding of the relative positions of the SiT planes in order to ensure the best accuracy of the measurements.

The method applied in this study uses differences between the cluster positions measured in each plane and the position of the track reconstructed from the measurement in all planes.

### **Analysis**



Figure 5. Distribution of hits recorded by SiT plane 1 at the AFP C-FAR station [3]. The situation with event cleaning performed is shown on the right, and initial distribution on the left. The following selection is applied: only 1 track per station, 1 cluster and 1 or 2 hits per SiT plane.

Figure 6. Illustration of track reconstruction procedure where transverse distance between clusters is less than 0.5 mm and slope of the track is neglected.

**9 degrees of freedom** considered in the analysis are the shifts in the x and y directions and the rotations around the z-axis. 3 degrees of freedom are eliminated by fixing the position of plane 0.

A correction to the alignment parameters is applied iteratively (30 times) until the convergence is reached. The last 15 iterations include an additional selection of events where the track  $\chi^2$  value is  $\chi^2$ /ndf < 2.0 in order to further clean up the sample.

## Results

#### At first, the event cleaning and track reconstruction are performed.

 $\vec{r}_t = \mathbf{R} \cdot \vec{r}_c + \delta \vec{r}$ rt : Track positions r<sub>c</sub> : Cluster positions  $-\alpha \beta (\mathbf{X})$ (δΧ r<sub>t</sub> =  $| \alpha 1 - \gamma || y |$  $\alpha$ ,  $\beta$ ,  $\gamma$  : Rotations about z, y, x (1)+ δy **Ι-**βγ**Ι** \z δΖ  $\delta x$ ,  $\delta y$ ,  $\delta z$  : offset values  $\vec{r}_t - \vec{r}_c = \Delta \vec{r} = (\Delta x, \Delta y, \Delta z)$  $\Delta \vec{r}$  : Residuals

In total, 24 parameters must be determined for the interplane alignment: 3 offsets and 3 rotation angles for each plane of each station.



Figure 4. Simplified representation of the interplane alignment method with two planes. In reality, positions of SiT planes are unknown. The alignment process starts with "before alignment" state, where all parameters set to zero. The track with zero slope is then reconstructed from the cluster positions. The residuals ( $\Delta \vec{r}$ ) on the same plane are calculated. These corrections finally are applied to cluster positions.

**Obtaning corrections to the alignment parameters:**  $\delta x$  and  $\delta y$  from the mean of the  $\Delta x$  and  $\Delta y$  distributions and  $\alpha$  from the slope of the  $\Delta x(y)$ dependence.



Figure 7. Position difference distribution between a reconstructed track and a cluster, of x (left) and y (middle) [3]. The average value of the difference in x-positions of the tracks and the clusters as a function y position of the clusters (right). The fits are indicated by dashed lines.

#### **The parameter values (\delta x, \delta y, \alpha)** quickly converge as expected.



Figure 8. The evolution of the alignment parameters  $\delta x$  (left),  $\delta y$  (middle), and  $\alpha$  (right) with iteration number [3]. The final values are given for each plane in the upper right.







